

Abstract Submitted
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Neutrosophic Triplet as extension of Matter Plasma, Unmatter Plasma, and Antimatter Plasma FLORENTIN SMARANDACHE, University of New Mexico, MUMTAZ ALI, Quaid-i-azam University Islamabad, Pakistan — A Neutrosophic Triplet, is a triplet of the form: $\langle a, \text{neut}(a), \text{anti}(a) \rangle$, where $\text{neut}(a)$ is the neutral of a , i.e. an element (different from the identity element of the operation $*$) such that $a*\text{neut}(a) = \text{neut}(a)*a = a$, while $\text{anti}(a)$ is the opposite of a , i.e. an element such that $a*\text{anti}(a) = \text{anti}(a)*a = \text{neut}(a)$. Neutrosophy means not only indeterminacy, but also neutral (i.e. neither true nor false). For example we can have neutrosophic triplet semigroups, neutrosophic triplet loops, etc. As a particular case of the Neutrosophic Triple, in physics one has $\langle \text{Matter}, \text{Unmatter}, \text{Antimatter} \rangle$ and its corresponding triplet $\langle \text{Matter Plasma}, \text{Unmatter Plasma}, \text{Antimatter Plasma} \rangle$. We further extended it to an m -valued refined neutrosophic triplet, in a similar way as it was done for $T_1, T_2, \dots; I_1, I_2, \dots; F_1, F_2, \dots$ (i.e. the refinement of neutrosophic components). We may have a neutrosophic m -tuple with respect to the element “ a ” in the following way: $(a; \text{neut}_1(a), \text{neut}_2(a), \dots, \text{neut}_p(a); \text{anti}_1(a), \text{anti}_2(a), \dots, \text{anti}_p(a))$, where $m = 1+2p$, such that: - all $\text{neut}_1(a), \text{neut}_2(a), \dots, \text{neut}_p(a)$ are distinct two by two, and each one is different from the unitary element with respect to the composition law $*$; - also $a*\text{neut}_1(a) = \text{neut}_1(a)*a = a$, $a*\text{neut}_2(a) = \text{neut}_2(a)*a = a$, \dots , $a*\text{neut}_p(a) = \text{neut}_p(a)*a = a$; - and $a*\text{anti}_1(a) = \text{anti}_1(a)*a = \text{neut}_1(a)$, $a*\text{anti}_2(a) = \text{anti}_2(a)*a = \text{neut}_2(a)$, \dots , $a*\text{anti}_p(a) = \text{anti}_p(a)*a = \text{neut}_p(a)$; - where all $\text{anti}_1(a), \text{anti}_2(a), \dots, \text{anti}_p(a)$ are distinct two by two, and in case when there are duplicates, the duplicates are discarded.

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